

Model File

Generated by Python Framework

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1 Model Information

name: *Eichenbaum, Rebelo and Trabandt Model with Resistant Virus Strain.*
file: */home/alexei/work/Platform/examples/models/COVID19/ert1_model.yaml*

1.1 Endogenous Variables Values

F = 78.5, FF = 1.6, Kf = 78.5, KfF = 1.6, Rb = 1.0, RbF = 1.0, c = 697.4, cF = 697.4, ci = 697.4, ciF = 697.4, cr = 697.4, crF = 697.4, cs = 697.4, csF = 697.4, dd = 0.0, ddF = 0.0, i = 0.0, i1 = 0.0, i2 = 0.0, iF = 0.0, iF1 = 0.0, iF2 = 0.0, k = 178551.2, kF = 178551.2, lambtilde = 0.0, lambtildeF = 0.0, lami = 15206.4, lamiF = 15206.4, lamr = 15292.0, lamrF = 15292.0, lams = 15292.0, lamsF = 15292.0, lamtau = -85.6, lamtauF = -85.6, mc = 0.7, mcF = 0.7, n = 28.0, nF = 28.0, ni = 28.0, niF = 28.0, nr = 28.0, nrF = 28.0, ns = 28.0, nsF = 28.0, pbreve = 1.0, pbreveF = 1.0, pie = 1.0, pieF = 1.0, pop = 1.0, popF = 1.0, r = 0.0, r1 = 0.0, r2 = 0.0, rF = 0.0, rF1 = 0.0, rF2 = 0.0, rk = 0.0, rkF = 0.0, rr = 1.0, rrF = 1.0, s = 1.0, s1 = 1.0, s2 = 1.0, sF = 1.0, sF1 = 1.0, sF2 = 1.0, tau = 0.0, tau1 = 0.0, tau2 = 0.0, tauF = 0.0, tauF1 = 0.0, tauF2 = 0.0, v = 0.0, vF = 0.0, w = 19.7, wF = 19.7, x = 206.0, xF = 206.0, y = 1115.4, yF = 1115.4

1.2 Parameters

A = 2.15, Rb_ss = 1.00, alfa = 0.67, betta = 1.00, d_ini = 1.00e-04, delta = 1.15e-03, eta = 0.19, g_ss = 2.12e+02, gam = 1.35, i_ini = 1.00e-04, inc_target = 1.12e+03, lockdown_policy = 0.00, mult = 1.25, mult2 = 4.00, n_target = 28.00, pi1 = 2.00e-07, pi2 = 2.00e-04, pi3 = 0.50, pid = 2.80e-03, pie_ss = 1.00, pir = 0.50, rpi = 1.50, rr_ss = 1.00, rx = 9.62e-03, sigma = 0.90, theta = 1.01e-03, theta_lockdown = 0.00, vaccination_policy = 0.00, vaccination_rate = 2.00e-04, virus_resistant_strain = 0.00, virus_variant_start = 62.00, xi = 0.98, xi_flex = 0.00

1.3 Shocks

ed, ei1, ei2

1.4 Equations

- 1 : $y = \text{pbreave} * A * k(-1)^{(1-\alpha)} * n^{\alpha}$
- 2 : $mc = 1 / (A * \alpha^{\alpha} * (1-\alpha)^{(1-\alpha)}) * w^{\alpha} * rk^{(1-\alpha)}$
- 3 : $w = mc * \alpha * A * n^{(\alpha-1)} * k(-1)^{(1-\alpha)}$
- 4 : $k = x + (1-\delta) * k(-1)$
- 5 : $y = c + x + g_{ss}$
- 6 : $n = s1(-1) * ns + i1(-1) * ni + r1(-1) * nr$
- 7 : $c = s1(-1) * cs + i1(-1) * ci + r1(-1) * cr$
- 8 : $\tau_1 = (\pi_1 * s1(-1) * cs * i1(-1) * ci + \pi_2 * s1(-1) * ns * i1(-1) * ni + \pi_3 * s1(-1) * i1(-1)) * (1 - \theta_{\text{lockdown}} * \text{lockdown_policy})^2$
- 9 : $\tau_2 = (\pi_1 * s2(-1) * cs * i2(-1) * ci + \pi_2 * s2(-1) * ns * i2(-1) * ni + \text{mult} * \pi_3 * s2(-1) * i2(-1)) * \text{virus_resistant_strain} * (1 - \theta_{\text{lockdown}} * \text{lockdown_policy})^2$
- 10 : $\tau = \tau_1 + \tau_2$
- 11 : $s1 = s1(-1) - \tau_1 - v$
- 12 : $s2 = s2(-1) - \tau_2$
- 13 : $s = \text{IfThenElse}(s(-1) - \tau - v, s(-1) - \tau - v, 0)$
- 14 : $i1 = i1(-1) + \tau_1 - (\text{pir} + \text{pid}) * i1(-1) + ei1$
- 15 : $i2 = i2(-1) + (\tau_2 - (\text{pir} + \text{pid} / \text{mult}_2) * i2(-1)) * \text{virus_resistant_strain} + ei2$
- 16 : $i = i1 + i2$
- 17 : $r1 = r1(-1) + \text{pir} * i1(-1) + v$
- 18 : $r2 = r2(-1) + \text{pir} * i2(-1)$
- 19 : $r = r1 + r2$
- 20 : $v = \text{vaccination_rate} * s1(-1)$
- 21 : $dd = dd(-1) + \text{pid} * i1(-1) + \text{pid} / \text{mult}_2 * i2(-1) + ed$

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22 : pop = pop(-1) - pid*i1(-1) - pid/mult2*i2(-1)

23 : 1/cs=lambtilde-lamtau*pi1*i1(-1)*ci

24 : 1/ci=lambtilde

25 : 1/cr=lambtilde

26 : theta*ns=(lambtilde*w+lamtau*pi2*i1(-1)*ni) *(1-theta__lockdown*lockdown_policy)

27 : theta*ni=lambtilde*w *(1-theta__lockdown*lockdown_policy)

28 : theta*nr=lambtilde*w

29 : lambtilde=beta*(rk(+1)+(1-delta))*lambtilde(+1)

30 : lami=lamtau+lams

31 : log(cs(+1)) - theta/2*(ns(+1))^2 + lamtau(+1)*(pi1*cs(+1)*i1*ci(+1)+pi2*ns(+1)*i1*ni(+1)+pi3*i1)
+ lambtilde(+1)*( w(+1)*ns(+1)-cs(+1) ) - lams/betta+lams(+1)

32 : log(ci(+1)) - theta/2*(ni(+1))^2 + lambtilde(+1)*( w(+1)*ni(+1)-ci(+1)
) - lami/betta+lami(+1)*(1-pir-pid)+lamr(+1)*pir

33 : log(cr(+1))-theta/2*(nr(+1))^2 + lambtilde(+1)*( w(+1)*nr(+1)-cr(+1)
) - lamr/betta+lamr(+1)

34 : lambtilde=beta*Rb/(pie(+1))*lambtilde(+1)

35 : rr=Rb/(pie(+1))

36 : Kf=gam*mc*lambtilde*y+beta*xi*(pie(+1))^(gam/(gam-1))*Kf(+1)

37 : F=lambtilde*y+beta*xi*(pie(+1))^(1/(gam-1))*F(+1)

38 : Kf=F*( (1-xi*pie^(1/(gam-1))) / (1-xi) )^(-(gam-1))

39 : 1/pbreve=(1-xi)*( (1-xi*pie^(1/(gam-1)))/(1-xi) )^gam + xi*pie^(gam/(gam-1))/pbreve(-1)

40 : Rb=rr_ss + rpi*log(pie/pie_ss) + rx*log(y/yF)

41 : yF=pbreveF*A*kF(-1)^(1-alfa)*nF^alfa

42 : mcF=1/(A*alfa^alfa*(1-alfa)^(1-alfa))*wF^alfa*rkF^(1-alfa)

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43 : $wF = mcF * \alpha * A * nF^{(\alpha-1)} * kF(-1)^{(1-\alpha)}$
 44 : $kF = xF + (1-\delta) * kF(-1)$
 45 : $yF = cF + xF + g_{ss}$
 46 : $nF = sF1(-1) * nsF + iF1(-1) * niF + rF1(-1) * nrF$
 47 : $cF = sF1(-1) * csF + iF1(-1) * ciF + rF1(-1) * crF$
 48 : $\tau F1 = (\pi_1 * sF1(-1) * csF * iF1(-1) * ciF + \pi_2 * sF1(-1) * nsF * iF1(-1) * niF + \pi_3 * sF1(-1) * iF1(-1)) * (1 - \theta_{lockdown} * lockdown_policy)^2$
 49 : $\tau F2 = (\pi_1 * sF2(-1) * csF * iF2(-1) * ciF + \pi_2 * sF2(-1) * nsF * iF2(-1) * niF + mult * \pi_3 * sF2(-1) * iF2(-1)) * virus_resistant_strain * (1 - \theta_{lockdown} * lockdown_policy)^2$
 50 : $\tau F = \tau F1 + \tau F2$
 51 : $sF1 = sF1(-1) - \tau F1 - vF$
 52 : $sF2 = sF2(-1) - \tau F2$
 53 : $sF = \text{IfThenElse}(sF(-1) - \tau F - vF, sF(-1) - \tau F - vF, 0)$
 54 : $iF1 = iF1(-1) + \tau F1 - (\pi_r + \pi_d) * iF1(-1) + ei1$
 55 : $iF2 = iF2(-1) + (\tau F2 - (\pi_r + \pi_d / mult) * iF2(-1)) * virus_resistant_strain + ei2$
 56 : $iF = iF1 + iF2$
 57 : $rF1 = rF1(-1) + \pi_r * iF1(-1) + vF$
 58 : $rF2 = rF2(-1) + \pi_r * iF2(-1)$
 59 : $rF = rF1 + rF2$
 60 : $vF = vaccination_rate * sF1(-1)$
 61 : $ddF = ddF(-1) + \pi_d * iF1(-1) + \pi_d / mult * iF2(-1) + ed$
 62 : $popF = popF(-1) - \pi_d * iF1(-1) - \pi_d / mult * iF2(-1)$
 63 : $1/cF = \lambda F - \lambda \tau F * \pi_1 * iF1(-1) * ciF$

$$64 : 1/ciF = \text{lambtilde}F$$

$$65 : 1/crF = \text{lambtilde}F$$

$$66 : \text{theta} * \text{ns}F = (\text{lambtilde}F * \text{w}F + \text{lamba}F * \text{pi}^2 * iF1(-1) * \text{ni}F) * (1 - \text{theta_lockdown} * \text{lockdown_policy})$$

$$67 : \text{theta} * \text{ni}F = \text{lambtilde}F * \text{w}F * (1 - \text{theta_lockdown} * \text{lockdown_policy})$$

$$68 : \text{theta} * \text{nr}F = \text{lambtilde}F * \text{w}F$$

$$69 : \text{lambtilde}F = \text{beta} * (\text{rk}F(+1) + (1 - \text{delta})) * \text{lambtilde}F(+1)$$

$$70 : \text{lami}F = \text{lamba}F + \text{lams}F$$

$$71 : \log(\text{cs}F(+1)) - \text{theta}/2 * (\text{ns}F(+1))^2 + \text{lamba}F(+1) * (\text{pi}^2 * \text{cs}F(+1) * iF1 * \text{ci}F(+1) + \text{pi}^2 * \text{ns}F(+1) * iF1 * \text{ni}F(+1) + \text{lambtilde}F(+1) * (\text{w}F(+1) * \text{ns}F(+1) - \text{cs}F(+1))) - \text{lams}F / \text{beta} + \text{lams}F(+1)$$

$$72 : \log(\text{ci}F(+1)) - \text{theta}/2 * (\text{ni}F(+1))^2 + \text{lambtilde}F(+1) * (\text{w}F(+1) * \text{ni}F(+1) - \text{ci}F(+1)) - \text{lami}F / \text{beta} + \text{lami}F * (1 - \text{pir} - \text{pid}) + \text{lamr}F(+1) * \text{pir}$$

$$73 : \log(\text{cr}F(+1)) - \text{theta}/2 * (\text{nr}F(+1))^2 + \text{lambtilde}F(+1) * (\text{w}F(+1) * \text{nr}F(+1) - \text{cr}F(+1)) - \text{lami}F / \text{beta} + \text{lami}F * (1 - \text{pir} - \text{pid}) + \text{lamr}F(+1) * \text{pir}$$

$$74 : \text{lambtilde}F = \text{beta} * \text{Rb}F / (\text{pie}F(+1)) * \text{lambtilde}F(+1)$$

$$75 : \text{rr}F = \text{Rb}F / (\text{pie}F(+1))$$

$$76 : \text{Kf}F = \text{gam} * \text{mc}F * \text{lambtilde}F * \text{y}F + \text{beta} * \text{xi_flex} * (\text{pie}F(+1))^{(\text{gam} / (\text{gam} - 1))} * \text{Kf}F(+1)$$

$$77 : \text{FF} = \text{lambtilde}F * \text{y}F + \text{beta} * \text{xi_flex} * (\text{pie}F(+1))^{(1 / (\text{gam} - 1))} * \text{FF}(+1)$$

$$78 : \text{Kf}F = \text{FF} * ((1 - \text{xi_flex} * \text{pie}F^{(1 / (\text{gam} - 1))}) / (1 - \text{xi_flex}))^{-(\text{gam} - 1)}$$

$$79 : 1 / \text{pbreve}F = (1 - \text{xi_flex}) * ((1 - \text{xi_flex} * \text{pie}F^{(1 / (\text{gam} - 1))}) / (1 - \text{xi_flex}))^{\text{gam}} + \text{xi_flex} * \text{pie}F^{(\text{gam} / (\text{gam} - 1))} / \text{pbreve}F(-1)$$

$$80 : \text{Rb}F = \text{Rb_ss} + \text{rpi} * \log(\text{pie}F / \text{pie_ss})$$